

Light:  and 

matter:  AND? 

de Broglie  
Suggested

$$\lambda = \frac{h}{m \cdot u}$$

Planck's constant  $h$   
mass (kg)  $m$   
speed (m/s)  $u$

$$e^- : m_e = 9.1094 \times 10^{-31} \text{ kg}$$

$$u = 25,000 \text{ m/s}$$

$$\lambda = 29 \text{ nm}$$

VIS Light:  $\lambda$ : 400 - 700 nm  
Blue Red

UV-light } v. small  $\lambda$   
X-rays }  $\Rightarrow$  can see very small objects!

(in theory... in practice, it is impossible to focus UV-light/X-rays!)

~~UV-Lens~~  
~~X-Ray Lens~~

~~Moving~~ moving  $e^-$  have  $\lambda$

$e^-$ : charged!

$\Rightarrow$  can use electric + magnetic lenses to focus the  $e^-$  waves!

**ELECTRON MICROSCOPE!**

# Quantum Mechanics

Schrödinger.

$e^-$  :  $\lambda$  : wave 

3-D



Symbol:  $\Psi$  (psi)  
- wavefunction.

$\Psi(x, y, z)$

$\Psi^2$  = prob of finding  $e^-$   
(Born interpretation)

For an  $e^-$  in an atom

$\Psi$  (wavefunction) is commonly called an atomic orbital

When we solve the Schrödinger equation for an atom (which gives us  $\Psi$ ) we'll end up needing 4 numbers - Quantum Numbers (QN) as part of the solution.

(1) Principal QN,  $n$   
principally determines  $E$   
+ size of  $\Psi$

$n = 1, 2, 3, 4, \dots$

ex:  $n=1$



Lowest  $E$

$n=2$



increasing  $E$

$n=3$



(2) Angular Momentum Quantum Number,  $l$

$$l: 0, 1, \dots, (n-1)$$

ex: if  $n=4$

then  $l=0, 1, 2, \text{ or } 3$

$l$ : determines shape of  $\psi$

$$\underline{l=0}$$

s



$$\underline{l=1}$$

p



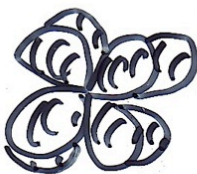
$$\underline{l=2}$$

d



$$\underline{l=3}$$

f



for atoms w/  $>1e^-$ , the value of  $l$  does effect  $E$  (but not as much as  $n$ )

$n \sim$  shell

$n, l \sim$  subshell

$n$   
 $l$

ex:  $n=1, l=0 \longrightarrow 1s$

ex:  $n=5, l=2 \longrightarrow 5d$

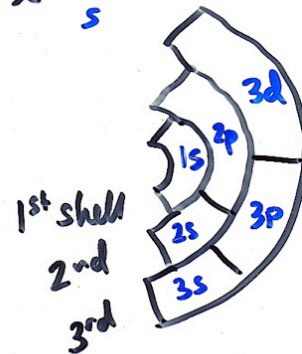
ex:  $n=3, l=1 \longrightarrow 3p$

$n=1$   
 $l=0$   
s

$n=2$   
 $l=0, 1$   
s p

$n=3$   
 $l=0, 1, 2$   
s p d

$n=4$   
 $l=0, 1, 2, 3$



### (3) Magnetic QN, $m_l$

$m_l$ : takes values from  $-l$  to  $+l$   
in whole # units.

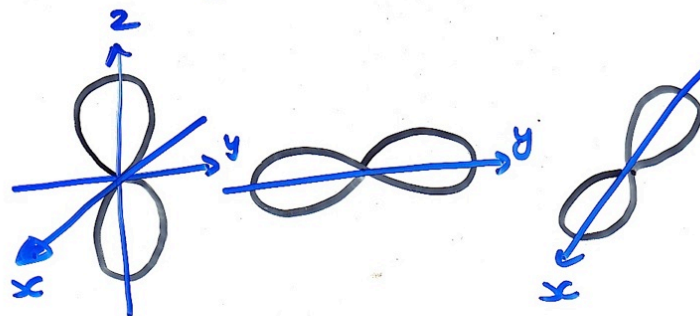
$$\text{ex: } l=2, m_l = \left. \begin{array}{c} -2 \\ -1 \\ 0 \\ +1 \\ +2 \end{array} \right\}$$

$$\text{ex: } l=1, m_l = \left. \begin{array}{c} -1 \\ 0 \\ +1 \end{array} \right\}$$

$m_l$  ~ describes orientation of orbital  
in space.

ex: if  $n=2$ , and  $l=1$   
 $2p$

then  $m_l = -1$  or  $0$  or  $+1$

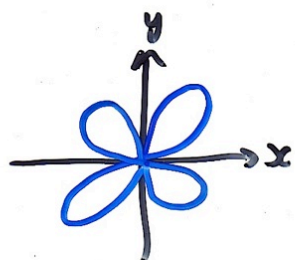
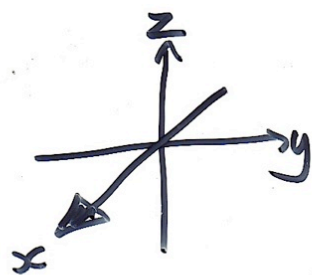


$2p_z$

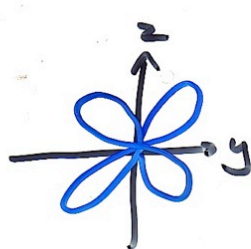
$2p_y$

$2p_x$

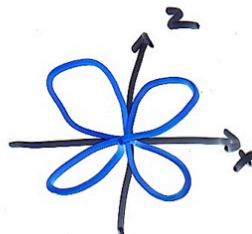
ex:  $n=3, l=2$   
 $3d$   $M_l = -2, -1, 0, +1, +2$



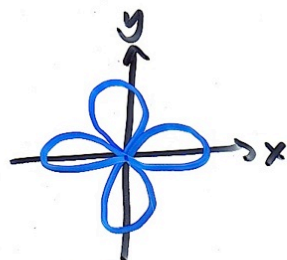
$3d_{xy}$



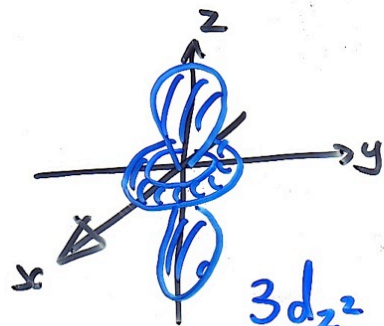
$3d_{yz}$



$3d_{xz}$



$3d_{x^2-y^2}$

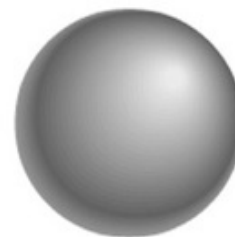


$3d_{z^2}$

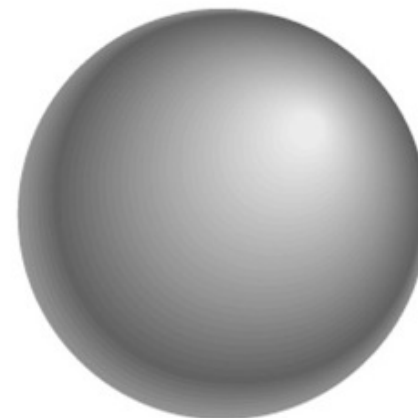
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$1s$

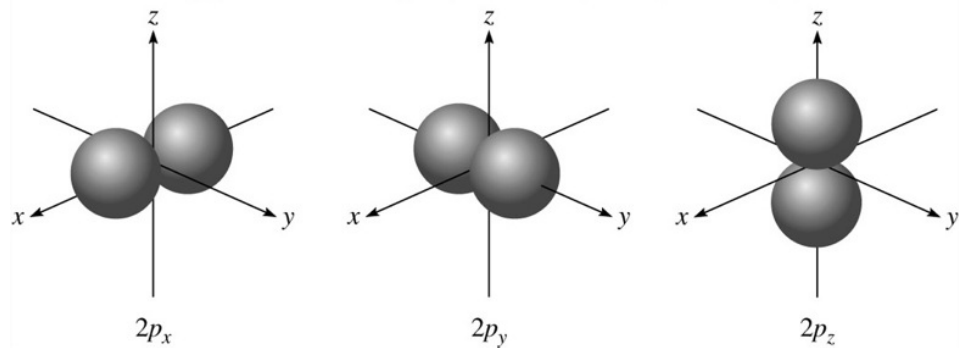


$2s$

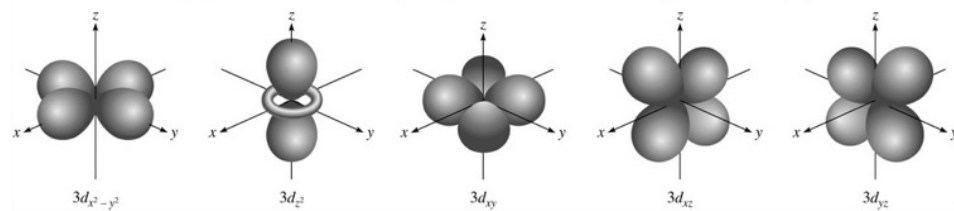


$3s$

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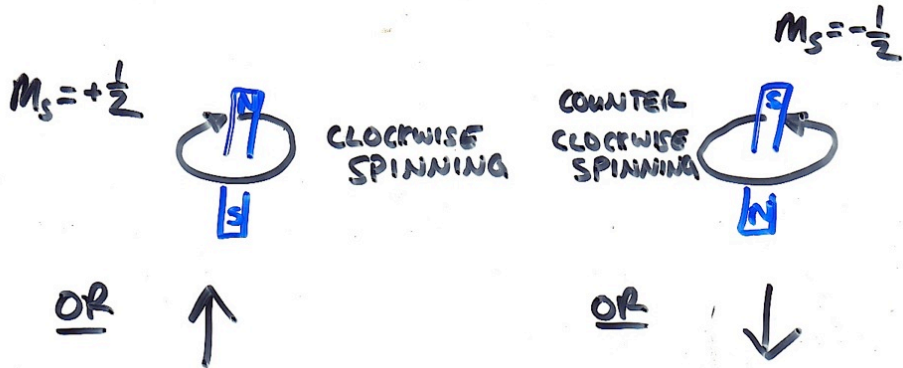


# 4<sup>th</sup> Quantum Number, $m_s$ , Electron Spin

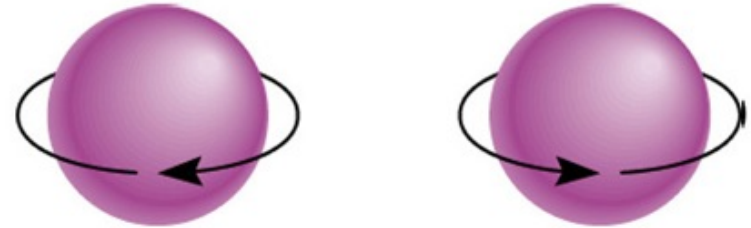
$$m_s = +\frac{1}{2} \text{ or } -\frac{1}{2}$$

$e^-$  has a magnetic moment  $\left( \begin{array}{|c|} \hline N \\ \hline S \\ \hline \end{array} \right)$

if  $e^-$  were spinning...



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(a)

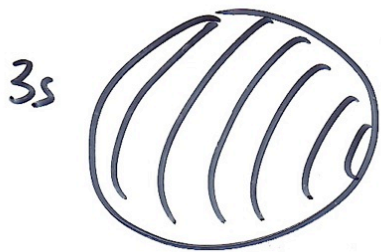
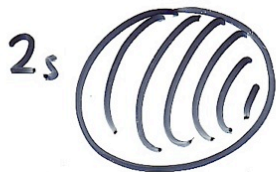


(b)

## Drawing Orbitals

$\Psi^2$  = prob. of finding  $e^-$ .

it is conventional to draw the orbitals as shapes that have a 90% <sup>probability</sup> of finding  $e^-$  within!



## Notes about orbitals.

atoms w/  $> 1 e^-$

energy:

$$1s < 2s < 2p < 3s < 3p < 4s < 3d < 4p.$$

two electrons can occupy the same orbital  $(n, l, m_l)$  as long as they have different spins  $(m_s = -\frac{1}{2}$  or  $+\frac{1}{2})$